

Neural Learning of Graphical Models for Protein Design

ANITI ARDM Workshop

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(INSA, INRAE, ANITI)

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PhD thesis under the supervision of
Thomas Schiex (MIAT) and Sophie Barbe (TBI)

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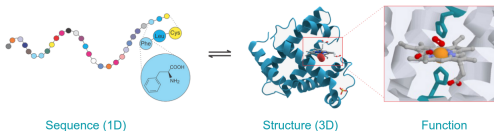
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Computational Protein Design (CPD)

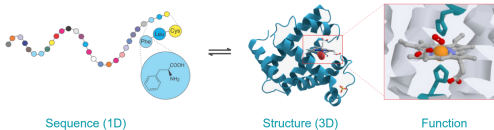
- Protein = sequence of amino acids (among 20 natural types)



Taken from Zhang's lab website

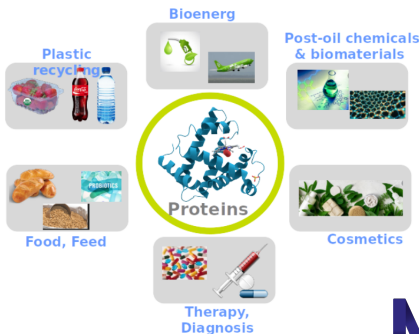
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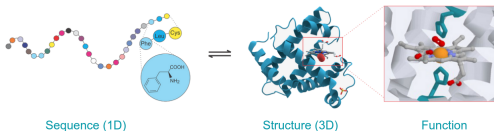
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- Diversity of applications



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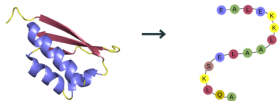
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- Diversity of applications
- CPD = modifying/creating proteins for a **function of interest**

Protein design as a constraint optimization problem



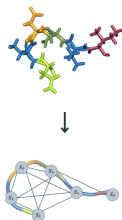
- ▶ **Inverse folding problem:** backbone $\mapsto$ sequence
- ▶ Criteria: maximum stability = minimum energy
 - > $r^* = \operatorname{argmin}_r E(r)$
 - > Score function = Energy + Design objectives

Protein design as a constraint optimization problem

- ▶ **Inverse folding problem:** backbone $\mapsto$ sequence
- ▶ Criteria: maximum stability = minimum energy
 - > $r^* = \operatorname{argmin}_r E(r)$
- ▶ Energy function as a **graphical model** (GM)
 - > One variable X_i per amino acid
 - > Domain D_i = amino acid types
 - > Cost functions = energy terms

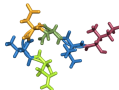
$$E(r) = E_{\emptyset} + \sum_{i=1}^n E_i(r_i) + \sum_{i < j} E_{i,j}(r_i, r_j)$$

- ▶ Goal: estimating a conditional energy from data



General context: learning a graphical model

- ▶ Learning constraints from real examples



- > Proteins: laws of physics

- > Toy problem: sudoku rules

9	7	6	8	1	3	2	5
1	4	2	5	9	8	6	3
5	3	3	7	6	1	9	4
6	9	4	2	1	8	2	3
8	1	7	3	4	5	6	9
7	2	5	9	6	2	4	1
4	6	7	0	2	3	9	5
2	5	8	6	9	7	8	4
3	8	9	1	4	5	6	7

- ▶ Why? To be able to use learned constraints on new examples

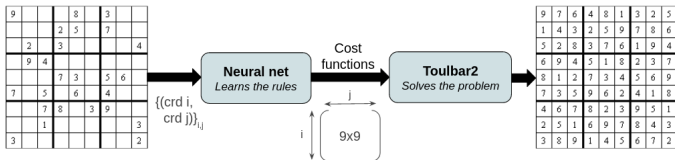
- ▶ How? By interfacing 2 branches of AI:

- > **Deep Learning** criteria from examples

- > **Automated reasoning** to identify the optimal solution

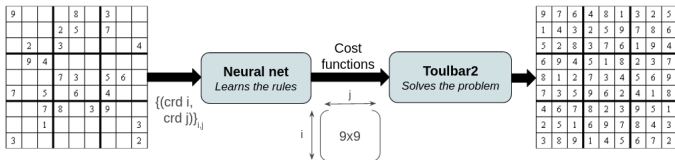
Toy example: the sudoku

► Learning the rules from sudoku examples



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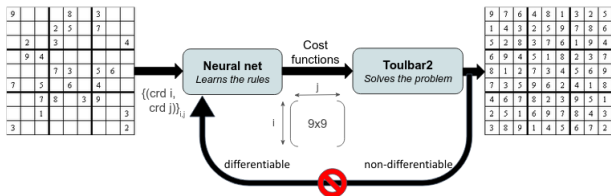


► Why is it similar to protein design?

- > Grid = backbone; cell = residue
- > Pairwise interactions
- > Cost function depends only on relative coordinates

Toy example: the sudoku

► Learning the rules from sudoku examples

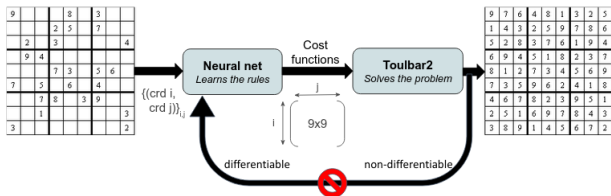


► Objective:

$$L = Hamming(y, \hat{y}) = \frac{1}{81} \sum_{i=1}^{81} \mathbb{1}[y_i \neq \hat{y}_i]$$

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► Objective:

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► Difficulty: **Discrete** objective vs **gradient** descent

- > Differentiable relaxation: SATNet (Wang et al. 2019)
- > Continuous interpolation: Blackbox solver (Pogančič et al. 2019)
- > Differentiable & informative upper bound: Hinge loss (Tsochantaridis et al. 2005)

Results on the toy example

► Performance + data-efficiency

Approach	Accuracy	Train size	Reference
Pure DL	96.6%	180,000	(Palm, Paquet, and Winther. <i>NeurIPS2018</i>)
SATNet *	99.8%	9,000	(Wang et al. <i>ICML2019</i>)
ML + toulbar2	100%	9,000	(Brouard, Givry, and Schiex. <i>CP2020</i>)
DL + toulbar2	100%	1,000	-

* *Much easier dataset*

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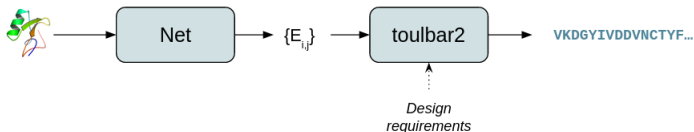
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► Understanding what is learned:

- > **Checking the rules** learned (if known)
- > **Interpreting** the rules (reasonable size)
 - Non-redundant rules of sudoku

- **Objective:** reconstruct the natural sequence



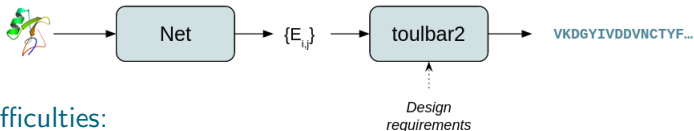
- **Dataset:**  PROTEIN DATA BANK

- > Split like (Ingraham et al. 2019)¹
- > 17,000 training proteins, 1,200 for test and 600 for validation

¹J. Ingraham et al. (2019). "Generative models for graph-based protein design". In: *33rd Conference on Neural Information Processing Systems (NeurIPS 2019)*.

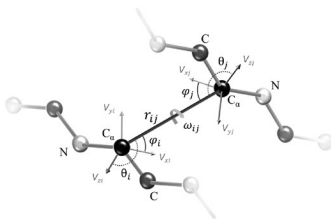
Back to proteins

- **Objective:** reconstruct the natural sequence



- **Difficulties:**

- > **Protein representation:** no consensus
 - Chose pairwise features (relative distance & orientation)

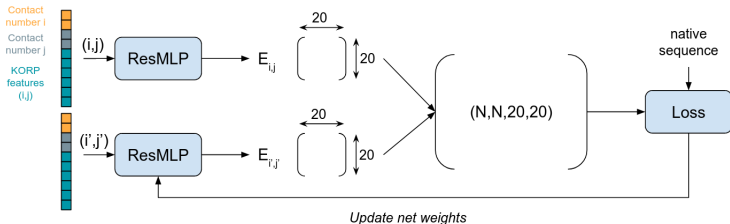


(López-Blanco and Chacón 2019)

- > Training alongside toulbar2 too slow

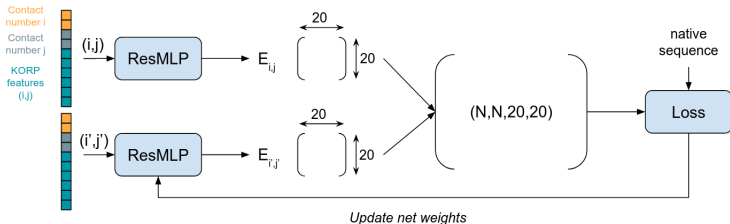
Direct adaptation of the sudoku pipeline to proteins

- **Pure neural training** with likelihood-based loss
- Toulbar2 used for inference (full protein design)



Direct adaptation of the sudoku pipeline to proteins

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- Initial model; in progress
 - > Global rotation/translation invariance
 - > Taking into account the environment of each residue

Results on proteins

No direct metric to assess the learned GM → **auxiliary tasks**

- ▶ Predicting one masked residue
 - > Accuracy: 42%

²Valentin Durante, George Katsirelos, and Thomas Schiex (July 2022). "Efficient low rank convex bounds for pairwise discrete Graphical Models". In: *Thirty-ninth International Conference on Machine Learning*.

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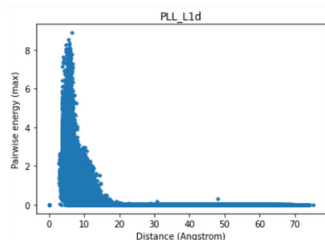
- ▶ Predicting one masked residue
 - > Accuracy: 42%
- ▶ Predicting full sequence
 - > Inference with a convex relaxation of toulbar2 (*Durante, Katsirelos, and Schiex 2022*)²
 - > Recovery: 35.6%

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- ▶ Trend of energy vs distance



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Results on proteins: decoy task

- ▶ KORP dataset (López-Blanco and Chacón 2019)³
 - > Task: Identifying the natural protein among decoys (~ 100)
 - > Comparison with state-of-the art statistical potential **KORP**
 - > Correct: 200/200 (vs 193/200 pour KORP)

³José Ramón López-Blanco and Pablo Chacón (Jan. 2019). "KORP: knowledge-based 6D potential for fast protein and loop modeling". In: *Bioinformatics* 35.17, pp. 3013–3019. ISSN: 1367-4803.

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- ▶ Rosetta dataset (Park et al. 2016)⁴
 - > Task: Ranking decoys quality (measured by TM score)
 - > Comparison with **Rosetta** energy function (all-atom)

Approach	Spearman	TM best
Rosetta	0.798	92.2
Effie	0.813	93.0

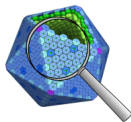
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- ▶ **Perspectives**: production & experimental characterization of designed proteins
 - > Hexamer from microbial compartment
 - > Nanotech application (*spatial organization of enzymes*)



Acknowledgment

- ▶ **Sophie Barbe** and **Thomas Schiex** for supervision
- ▶ **CALMIP** for computational resources
- ▶ The organizers of this ARDM workshop

Thanks for your attention!



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-  Wang, Po-Wei et al. (Sept. 2019). “SATNet: Bridging deep learning and logical reasoning using a differentiable satisfiability solver”. In: *Proceedings of the 36th International Conference on Machine Learning*. Vol. 97. PMLR.